LLRF Low Level Applications Study

FLASH Seminar Zheqiao Geng 14.10.2008



Outline



- Introduction to low level applications (LLA)
- System phase and system gain
- Cavity parameters measurement
- Adaptive feed forward
- Future plan for LLA



Introduction to low level applications





Low level applications is a collection of work concern to the software of

 Locating near front end hardware (in FPGA, DSP or front end CPU)

Running fast (intra-pulse or pulse-pulse)

Two focuses of LLA



- Algorithms: Principle to perform measurement and optimization
- Implementation: Multi-processor, distributed software, real time



Algorithm Study: System phase and system gain

Goals



- Measure the system phase and system gain
- Study the influence to the feedback system by the system phase

Definition

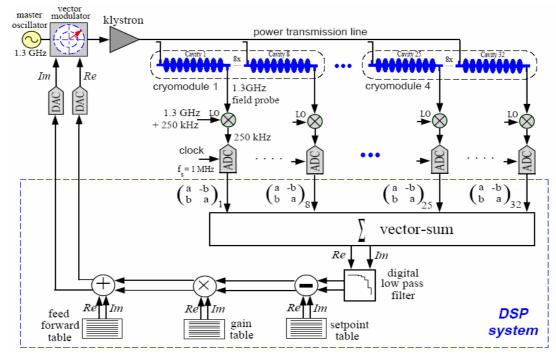


- System Phase: The phase difference between *Vsum* and *Vdac* in steady state
- System Gain: The amplitude ratio between *Vsum* and *Vdac* in steady state
- With P controller

Loop Phase = System phase

Loop Gain = System Gain * Feedback Gain

• Assume the system is Linear



14/10/2008

Measurement of system phase and system gain



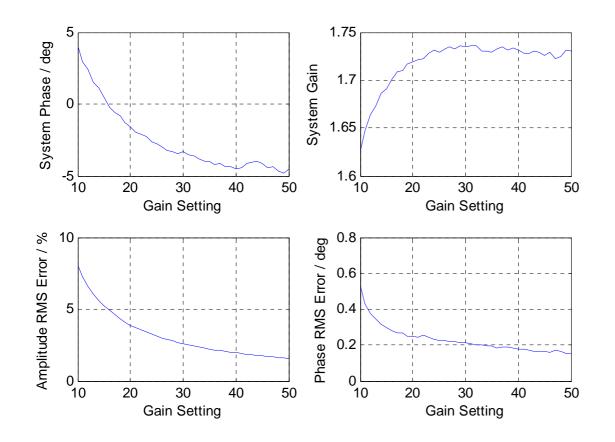
 During RF flattop, the cavity is approximately in steady state, so

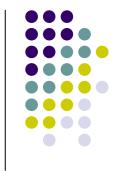
System_Phase = angle(Vector_sum / DAC_out)

System _ Gain = abs(Vector _ sum / DAC _ out)

- This method only works when there is no beam
- The RF flattop should be flat (close to steady state)
- System phase and system gain change during the flattop due to the cavity detuning changes

Measurement at ACC1 -- Change the feedback gain

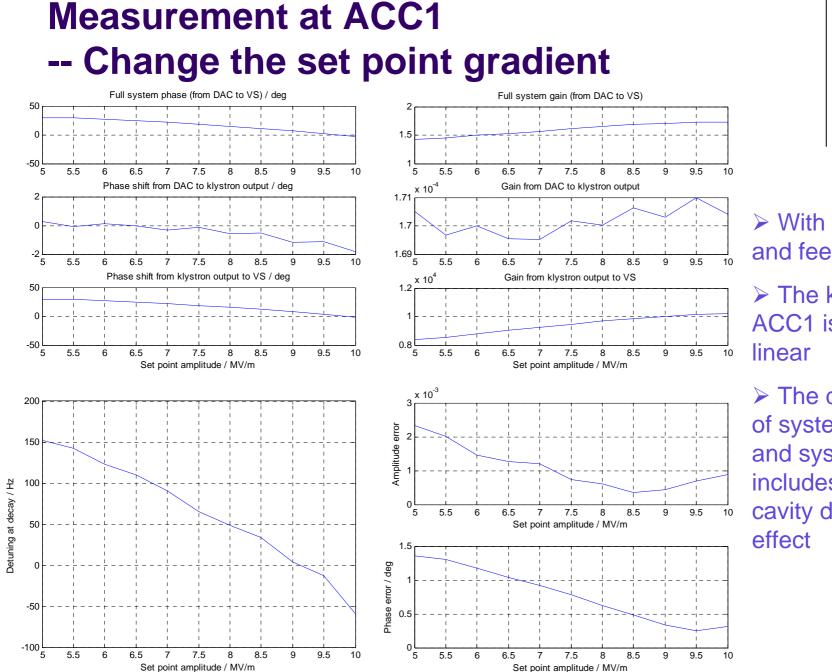




With only feedback, without feed forward

System phase and system gain are measured by averaging the flattop

With smaller gain, the flattop is bad, approximation to steady state will have larger error



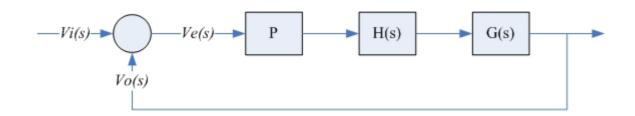


With feedback and feed forward

The klystron of ACC1 is quite linear

The definition of system phase and system gain includes the cavity detuning effect

System phase and feedback stability



$$\operatorname{Re}\left[\omega_{1/2} - j\Delta\omega + P\omega_{1/2}ge^{j\theta}\right] > 0$$

$$G(s) = \frac{\omega_{1/2}}{s + \omega_{1/2} - j\Delta\omega}$$

 $H(s) = g e^{j\theta}$

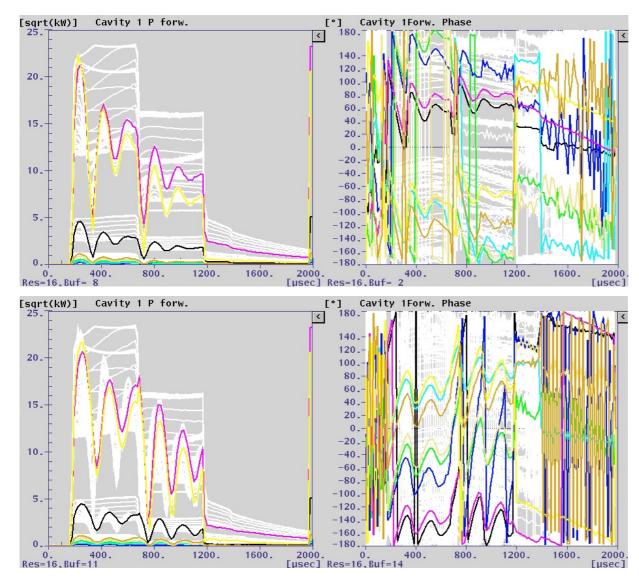
$$V_e(s) = \frac{1}{1 + G(s)H(s)P} V_I(s)$$
$$= \frac{V_I(s)(s + \omega_{1/2} - j\Delta\omega)}{s + \omega_{1/2} - j\Delta\omega + P\omega_{1/2}ge^{j\theta}}$$

$$\omega_{1/2} + P\omega_{1/2}g\cos\theta > 0$$
$$\Rightarrow \quad \cos\theta > -\frac{1}{Pg}$$

The stable area of system phase is

$$\left[-\frac{\pi}{2} + Detuning _ angle, \frac{\pi}{2} + Detuning _ angle\right]$$

Measurement at ACC1 -- System phase and feedback stability





With feedback and feed forward on

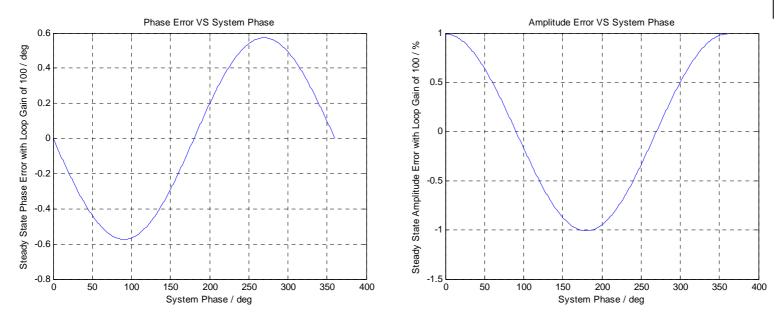
The loop phase is changed in negative way by about 70 degree

With feedback and feed forward on

The loop phase is changed in positive way by about 80 degree



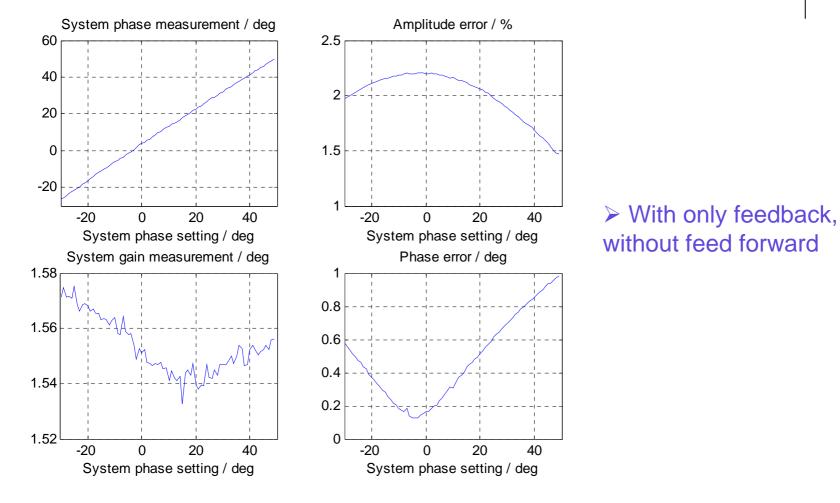
System phase and steady state error

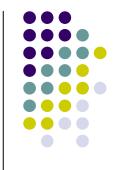


System Phase Optimization:

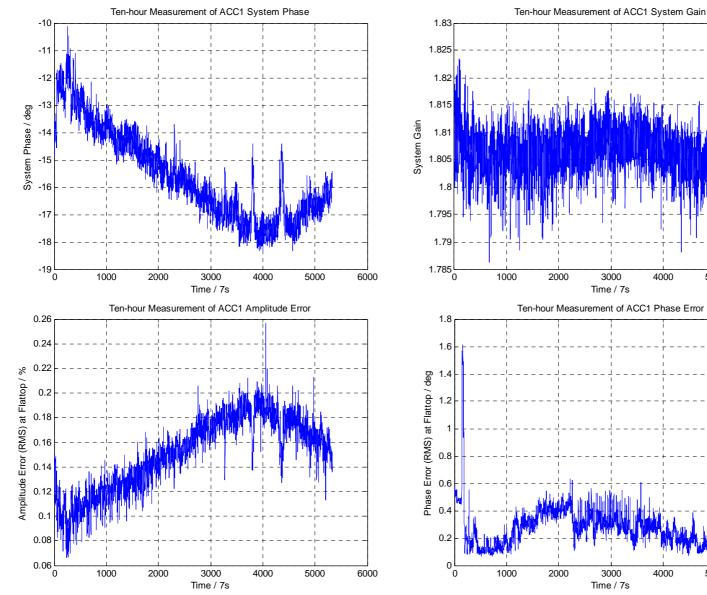
- Keep system phase in the stable range
- Select system phase to be 0 for minimizing the steady state phase error (amplitude error is non-avoidable for feedback but can be compensated by feed forward)

Measurement at ACC1 -- System phase and steady state error





System phase and system gain drift



Measured during 1:00am, 17.08.2008 to 11:00am, 17.08.2008.





Algorithm Study: Cavity parameters measurement

Goals

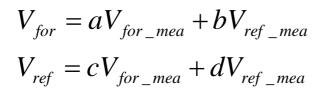


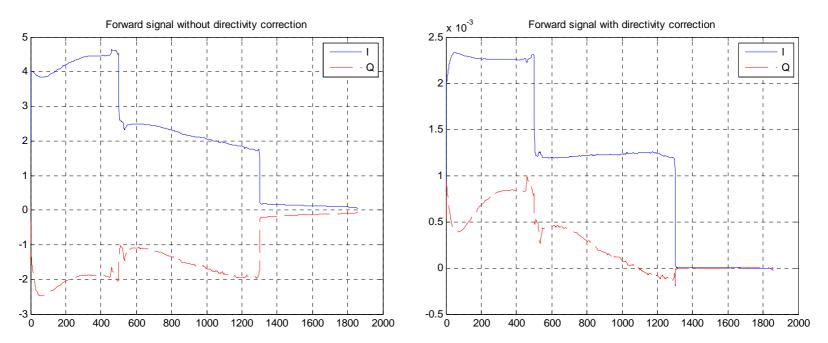
- Measure loaded Q of the cavity
- Measure detuning of the cavity
- Measure beam phase and amplitude in each cavity

Cavity equation used for parameters measurement

$$\frac{dV_c}{dt} + (\omega_{1/2} - j\Delta\omega)V_c = C\sqrt{\omega_{1/2}}V_{for} + 2\omega_{1/2}R_LI_b$$
$$C = \sqrt{\left(\frac{r}{Q}\right)\frac{\omega_0}{Z_0}}$$

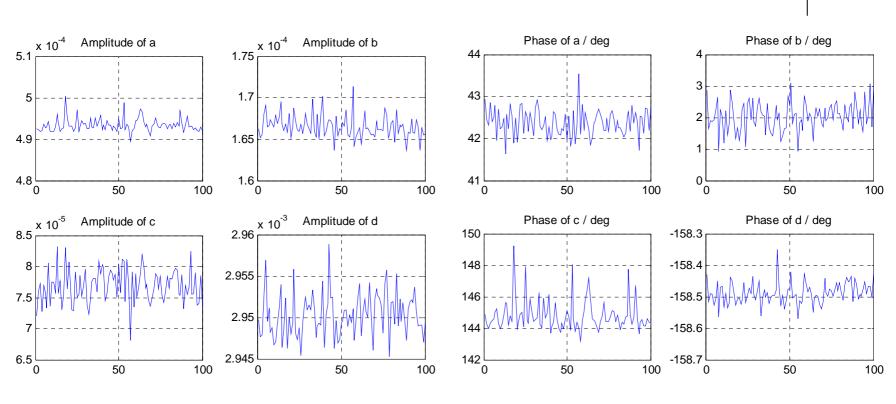
Forward and reflected signal directivity correction





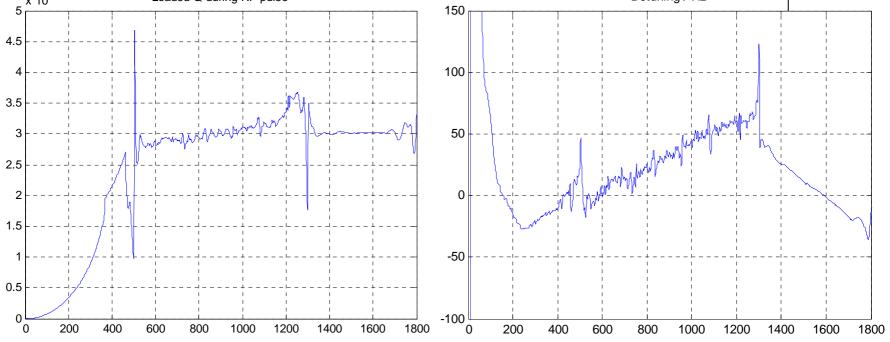
The forward signal with directivity correction will be used as the cavity driving signal in the cavity equation

Forward and reflected signal directivity correction



≻100 times calibration of the directivity coefficients

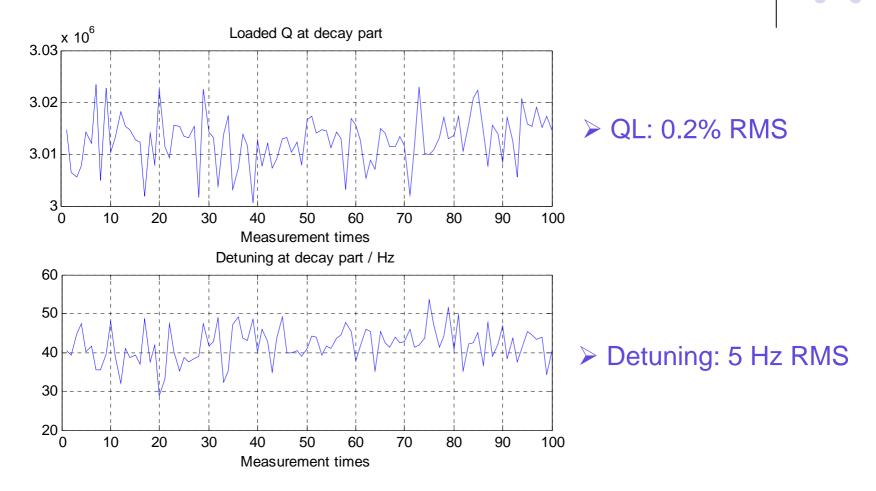
Loaded Q and detuning measurement -- Intra-pulse, without beam



Measurements are sensitive to the cavity driving signal calibration

- Large error during the filling time
- Relative measurements can be used to detect the system status change

Loaded Q and detuning measurement -- Pulse to pulse, at RF decay



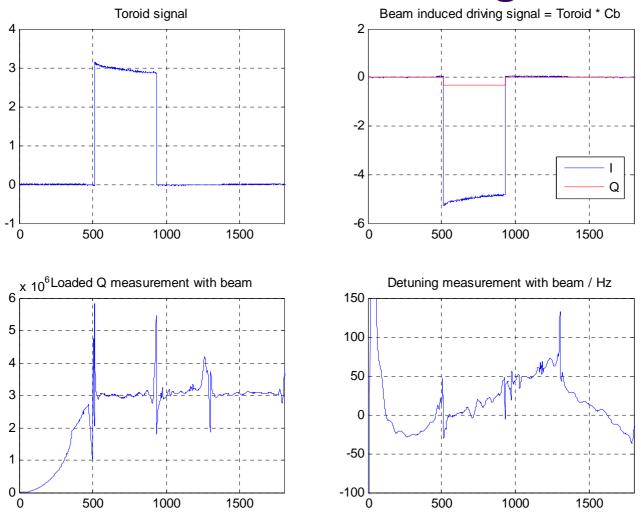
Beam measurement -- Calibration of the Toroid signal

$$\frac{dV_c}{dt} + (\omega_{1/2} - j\Delta\omega)V_c = C\sqrt{\omega_{1/2}}V_{for} + 2\omega_{1/2}R_LI_b$$

The beam induced cavity driving voltage can be derived by the Toroid signal multiplied by a complex coefficient

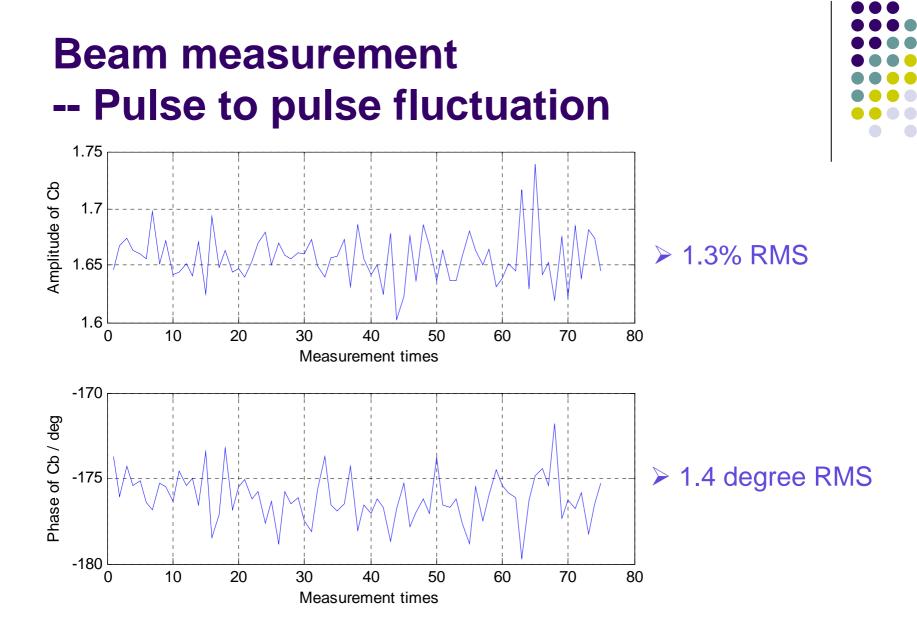
$$R_L I_b = C_b \cdot V_{toroid}$$

Beam measurement -- Calibration of the Toroid signal





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Use cases of cavity parameters



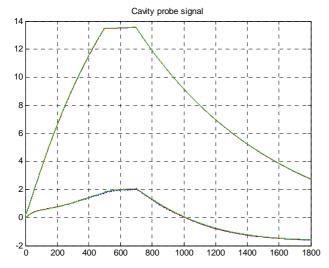
- Detect the QL exceptions, such as quench
- Provide detuning information to piezo control
- Detect the detuning exceptions
- Calibrate the vector sum
- Denoise the cavity probe signal in real time

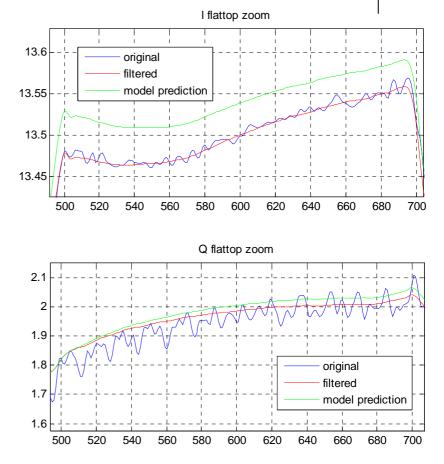
Denoise the cavity probe signal with Kalman filter in real time



- Loaded Q curve during the RF pulse
- Detuning curve during the RF pulse
- Beam curve during the RF pulse
- Cavity equations

The model is linear and time varying.









Algorithm Study: Adaptive feed forward

Goals



- Identify the system
- Study the adaptive feed forward algorithm based on inversed system model

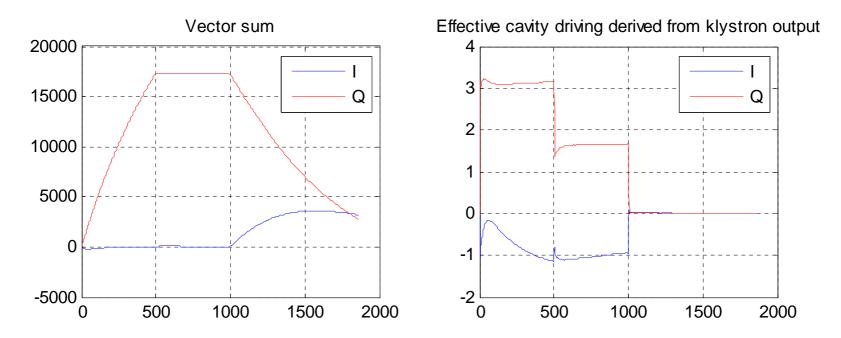
Calibrate the klystron signal as vector sum effective driving signal



> The vector sum can be viewed as the output of an effective single cavity

> The cavity equation will still work for the effective single cavity

The driving signal to this effective single cavity can be derived from the klystron output signal by multiplying a complex constant

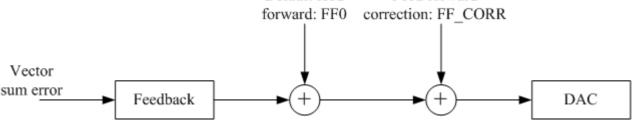


Vector sum effective single cavity model Half bandwidth during the RF pulse / Hz x 10⁻⁴ Gain from DAC to vector sum driving 1.6 1.5 1.4 1.3 Detuning during the RF pulse / Hz Phase shift from DAC to vector sum driving -100 -200 -5 Time / us Time / us

AFF:

- > Vector sum error \rightarrow Driving signal correction (system model)
- > Driving system correction \rightarrow Feed forward correction (DAC to driving signal gain)

Adaptive feed forward algorithm -- Procedure Default feed Feed forward



For each iteration:

- Get the initial feed forward correction table from last pulse: FF_CORR0 = DAC FF0
- Measure the vector sum error of this pulse
- Inverse the system model, calculate the corresponding feed forward correction signal FF_CORR1

Get and update the new feed forward correction table of this iteration: FF_CORR = FF_CORR0 + FF_CORR1

Analysis:

- > With open loop operation: normal adaptive feed forward algorithm
- > With closed loop operation: feedback signal will also be taken into account

Adaptive feed forward algorithm -- Principle

Cavity equation

$$\frac{dV_{sum}}{dt} + (\omega_{1/2} - j\Delta\omega)V_{sum} = C\sqrt{\omega_{1/2}}V_d + 2\omega_{1/2}R_LI_b$$

We expect

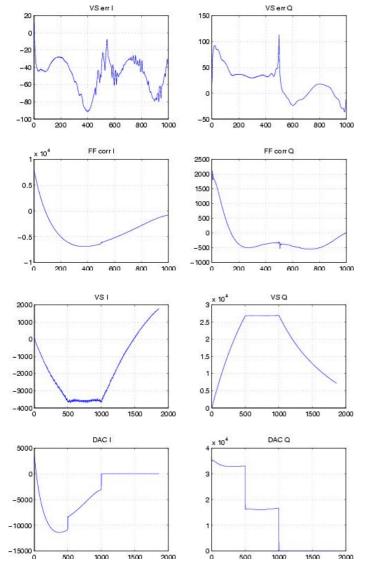
$$\frac{dV_{set}}{dt} + (\omega_{1/2} - j\Delta\omega)V_{set} = C\sqrt{\omega_{1/2}}V_d' + 2\omega_{1/2}R_LI_b$$

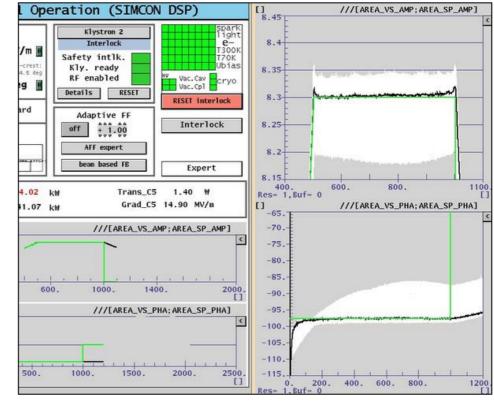
So the new driving signal can be calculated based on

$$\frac{d\Delta V_{sum}}{dt} + (\omega_{1/2} - j\Delta\omega)\Delta V_{sum} = C\sqrt{\omega_{1/2}}\Delta V_d$$

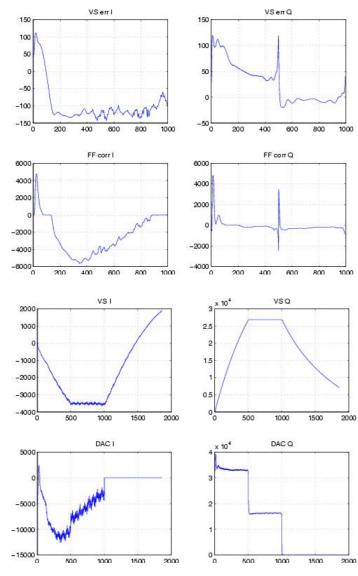


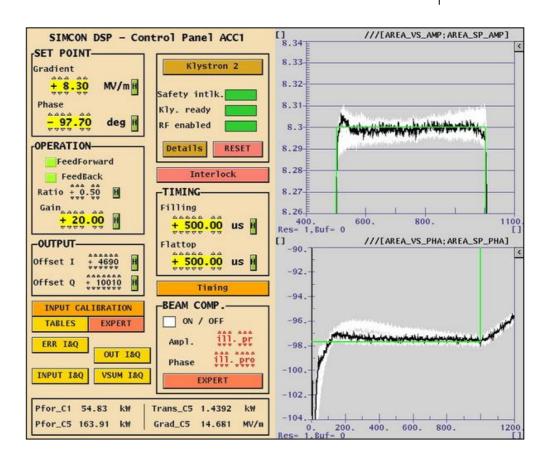
AFF test at ACC1 (Open loop)





AFF test at ACC1 (Closed loop)









Future plan for LLA

Plan for LLA work

Continue developing algorithms

- System phase and system gain
- Cavity parameters measurement
- > Adaptive feed forward
- System status analysis
- Exception detection and handling
- System performance estimation
- Implement and test the LLA algorithms in the SIMCON development system at ACC1





Thank you for attention!